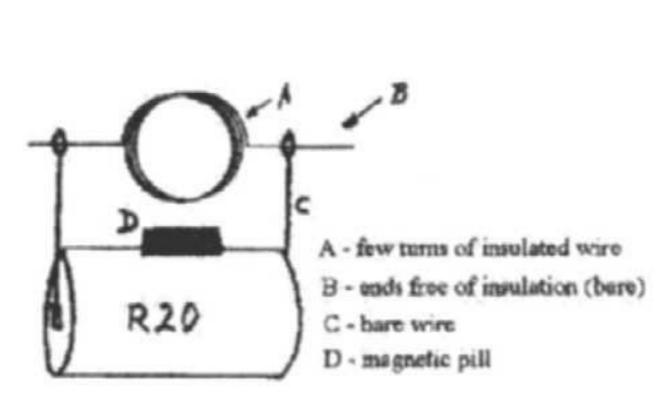
## 3. MAGIC MOTOR

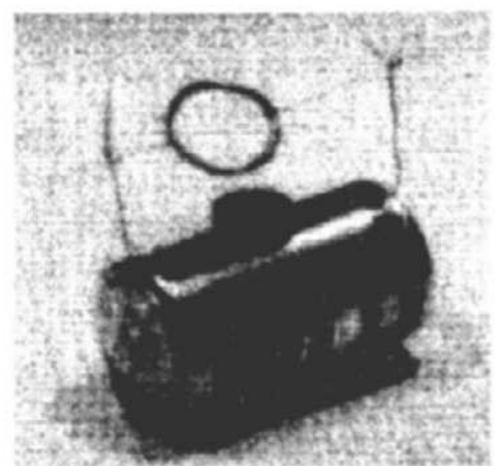
## T.Bibilashvili

Institute of Physics of the Georgian Academy of Sciences

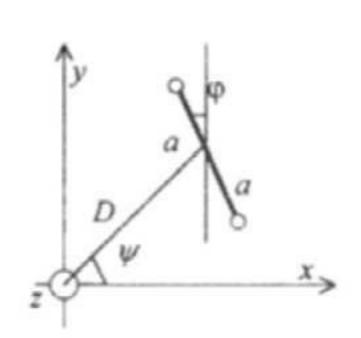
## G.Dalakishvili

School № 42 named after I.N. Vekua



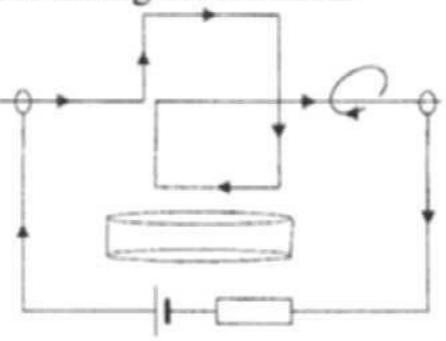


We have motor shown on the picture. In our model we consider rectangular frame as coil and take dipol magnetic field. Because inductivity of coil is small L~10<sup>-6</sup> and E.M.F. caused by alternating of magnetic flux thruogh frame is negligable ~10<sup>-5</sup>v. We consider buttery E.M.F.  $\xi$  and constant current I= $\xi$ /R. The proposed aprouch is in good agreement with experiments. We get following data:



$$\xi = 9 \text{ V}$$
 $R_0 \approx 20 \Omega$ 
 $2a = 2 \text{ cm}$ 
 $d = 0.2 \text{ mm}$ 
 $A = 0.001 \text{ T} \cdot \text{m}^3$ 
 $k = 0.5$ 
 $g = 9.8 \text{ m/s}^2$ 
 $D = 6 \text{ cm}$ 

where R<sub>0</sub> is resistance of buttary, d - diameter of wire, k - index of friction between wires, g is free falling acceleration.



$$\vec{B} = A \frac{(\vec{\mu} \cdot \vec{r}) \cdot \vec{r} - r^2 \cdot \vec{\mu}}{r^5}$$

$$\vec{r}(x, y, z)$$

$$\vec{\mu}(0, 1, 0)$$

$$\vec{F}_1 = I \cdot \vec{a}_1 \times \vec{B}_1 \qquad \vec{a}_1(0, 0, 2a)$$

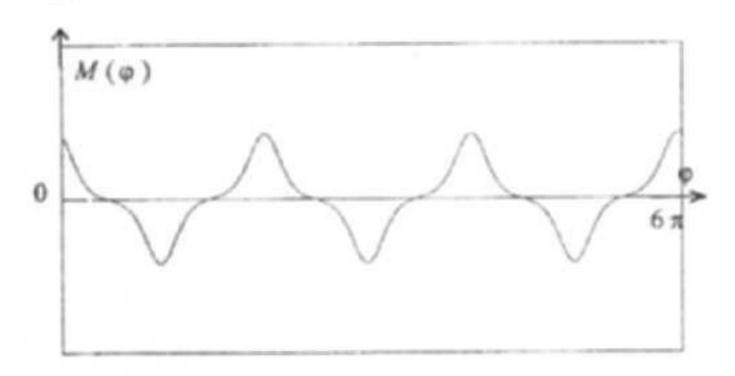
$$\vec{F}_2 = I \cdot \vec{a}_2 \times \vec{B}_2 \qquad \vec{a}_2(0, 0, -2a)$$

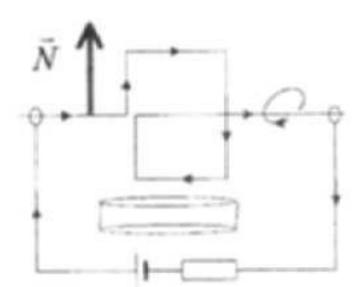
where µ is dipole moment

From magnetic field on frame with current act forces F<sub>1</sub> and F<sub>2</sub> they make moments M<sub>1</sub> and M<sub>2</sub> with respect to c.m. of frame and it begins to rotate.

$$\vec{M}_1 = \vec{a}_1' \times \vec{F}_1$$
  $\vec{a}_1'(-a\sin\varphi, a\cos\varphi, 0)$   $\vec{M} = \vec{M}_1 + \vec{M}_2$   $\vec{M}_2 = \vec{a}_2' \times \vec{F}_2$   $\vec{a}_2'(a\sin\varphi, a\cos\varphi, 0)$ 

From graph one can see that work of moment per one period is zero, it means that we have not source of energy but we have a friction, loosing of energy and rotating must fade.





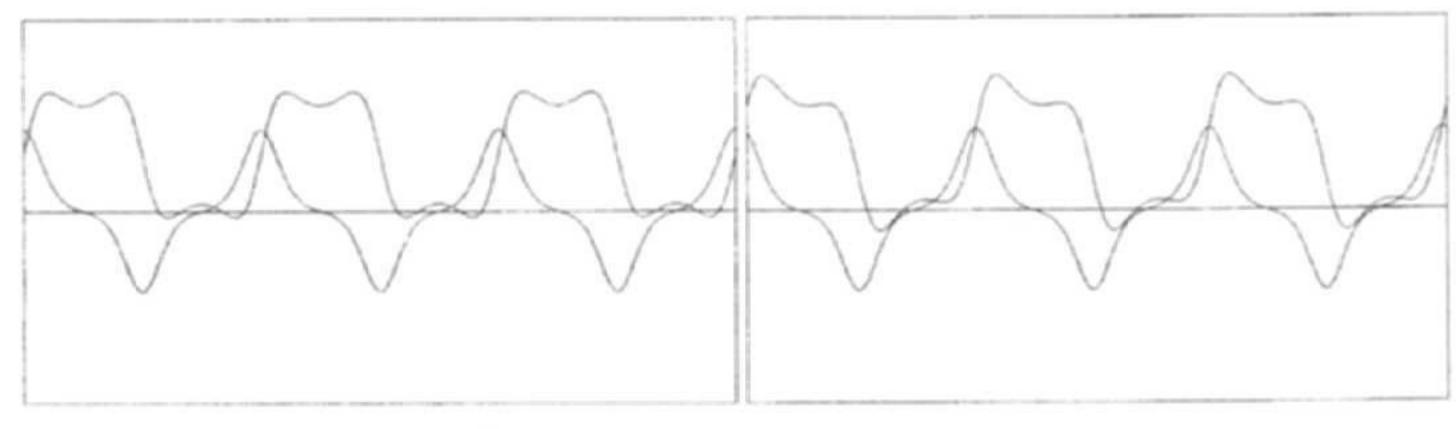
$$N_y = mg + F_{1y} + F_{2y}$$

where N<sub>y</sub> is a reaction force between wires

When  $0 \ge N_y$ , the coil jumps. Graph (1) shows us a picture when the magnet is shifted with respect to the symmetric axe of frame, graph (2) shows a picture when the magnetic pill is exactly under frame axe.

From graph (1) is clear that during disconnection is cut negative part of moment so we have positive work

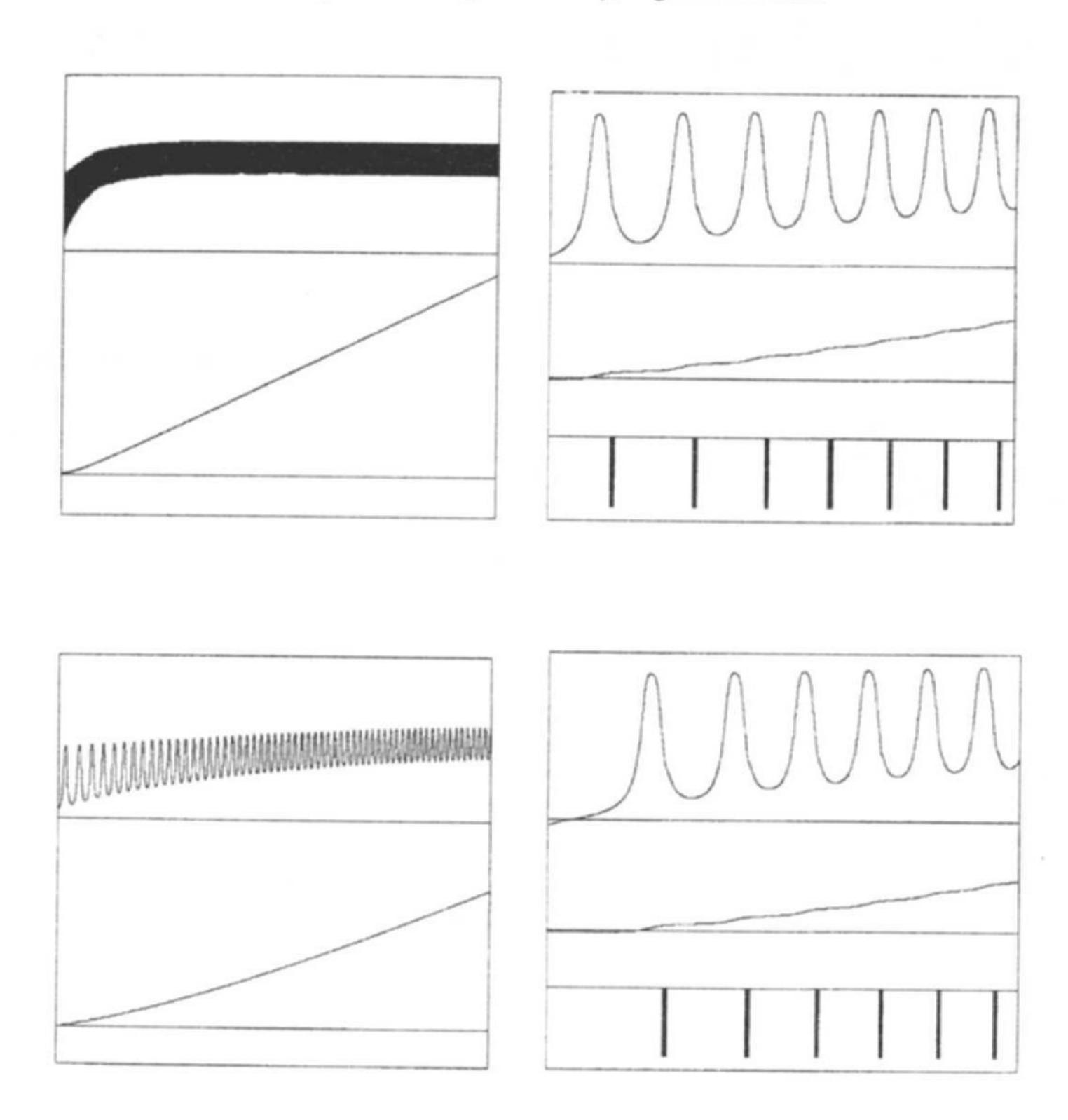
From graph (2) is clear that with disconnection is cut equal negative and positive parts of moment so work is zero

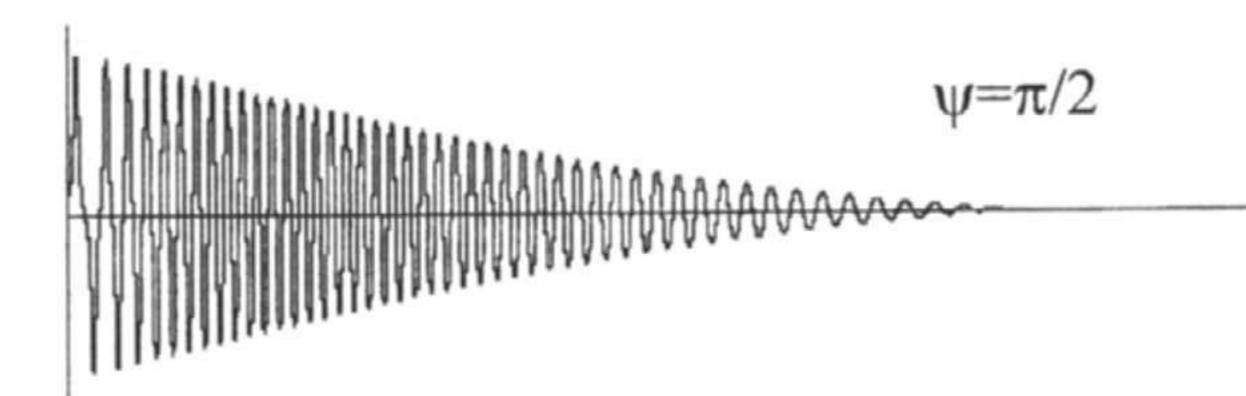


graph.2  $\psi = \pi/2$ 

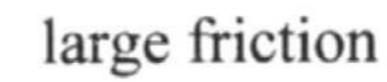
$$\begin{split} M_f &= \begin{cases} kNd/2 & \dot{\varphi} \leq 0 \\ 0 & \dot{\varphi} = 0 \text{ or } N \leq 0 \\ -kNd/2 & \dot{\varphi} \geq 0 \end{cases} \\ M_{af} &= -\alpha \dot{\varphi} \\ J\ddot{\vec{\varphi}} &= \vec{M}_1 + \vec{M}_2 + \vec{M}_f + \vec{M}_{af} \end{split}$$

we also have friction between wires and air friction.  $M_f$  is moment of friction between wires and  $M_{af}$  – moment of air friction. Above are expressed main equation of rotation. Below we show solution of this equation for angular velocity, angle and current.









## normal conditions

